



Abstract

Forward geophysical modeling of copper porphyry systems is accomplished using geologic inputs from rock-scale to deposit-scale. This research represents an expansion of the rock properties used for electromagnetic modeling of bulk apparent resistivity. Generalized Effective Medium Theory of Induced Polarization (GEMTIP, Zhdanov 2006) is used to predict electromagnetic behavior of individual rock types within a porphyry system. For a disseminated sulfide bearing rock GEMTIP theory inputs include sulfide grain size, grain eccentricity, sulfide volume fraction, matrix resistivity, sulfide conductivity, and two empirical parameters: the geometric factor and the relaxation coefficient that must be derived from experimental data. Previous models such as the Cole-Cole model (Cole K.S., 1941) do not incorporate the above rock-scale geologic information.

For deposit scale modeling an Integral Equation Electromagnetic (IEE) forward modeling code developed by the Center for Electromagnetic Modeling and Inversion (CEMI) is used (Zhdanov and Lee, 2005). A new interface to allow modeling of geometrically complex geologic systems was developed for the IEE forward modeling code. This interface allows the 3D modeling of a simplified porphyry model. Both the rock type and associated electric properties (approximate) are used for synthetic data creation. After construction of the general model parameters such as ore body geometry, ore body depth, sulfide volume fraction, and rock resistivity, values can be easily changed to better understand the geophysical response of each parameter. With advances in forward modeling and inversion, detection and discrimination capability will improve for porphyry systems and other geologic targets, leading to greater efficiency in mineral exploration.

Effective resistivity model

The Generalized Effective Medium Theory of Induced Polarization (GEMTIP) allows the rock conductivity to be predicted as function of frequency based on its composition at the grain-scale. The effective resistivity of the polarized inhomogeneous medium composed of a matrix with I types of spherical grains is given by equation (1):

$$\rho_{ef} = \rho_0 \left\{ 1 + \sum_{l=1}^N \left\{ f_l m_l \left\{ 1 - \frac{1}{1 + \{i \omega \tau_l\}^{C_l}} \right\} \right\} \right\}^{-1},$$
(1) where:

$$m_l = 3 \frac{\rho_0 - \rho_l}{2\rho_l + \rho_0}$$
 and $\tau_l = \left\{ \frac{a_l}{2\alpha_0} \left\{ 2\rho_l + \rho_0 \right\} \right\}$





 $1/C_l$

matrix

disseminated ellipsoidal mineral

Figure 1: Conceptual illustration of disseminated mineralization. The figure illustrates the basic geometrical input parameters for modeling with the Generalized Effective Medium Theory of Induced Polarization (GEMTIP) including grain size, grain eccentricity (if using an ellipsoidal model) and matrix. The number of minerals is not limited by the GEMTIP theory. Geoelectircal input parameters are described in Table 1

Table 1: GEMTIP parameter descriptive guide.

variable	units	name	description	
ρ_{ef}	Ohm-m	effective resistivity	resulting effective resistivity	
ρ_0	Ohm-m	matrix resistivity	matrix resistivity of rock being	
			modeled	
f_l	-	grain volume fraction	volume fraction of each grain	
			type	
m_l	-	grain chargeability	grain chargeability of each grain	
			type	
ω	Hertz	angular frequency	angular frequency of EM signal	
$ au_l$	second	time constant	time constant for each grain	
C_l	-	decay coefficient	decay coefficient determined	
			from empirical data	
ρ_l	Ohm-m	grain resistivity	resistivity of each grain type	
a_l	meter	grain radius	radius of each grain type	
α_0	$\frac{Ohm \cdot m^2}{SOC^2}$	surface polarizability coef-	behavior of charges on grain sur-	
	500 1	ficient	face determined from empirical	
			data	
	·	-		

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sea level.



Electromagnetic modeling of porphyry systems: Putting geology back into geophysics from the rock-scale to deposit-scale

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Porphyry system overview and model development

Figure 2: Areal photo of Lakeshore porphyry copper deposit Pinal County, AZ. The deposit is buried below 150 meters of Tertiary volcanics and sediments and a thin layer of Quarternary gravels. The pit diameter is 0.94 km while the crop circles in the background are 0.75 km in diameter. The elevation of the pit rim is 427 meters above



Figure 7: Bingham chalcopyrite ore. A) Hand sample with approximately five percent chalcopyrite (yellow mineral). B,C) Enlargements of insets in A showing disseminated chalcopyrite.



Figure 8: Silver Bell ore. This sample contains approximately 7.5 percent chalcopyrite (yellow gold colored mineral) and 7.5 percent pyrite (pale gold colored mineral). A) Hand sample. B,C) Enlargements of insets in A showing disseminated chalcopyrite and pyrite. This rock would be located between the chalcopyrite and pyrite zones in the Simplified Porphyry Model (Figure 6).



Figure 9: Effective resistivity of Bingham and Silver Bell ores calculated with GEMTIP. A) Real part of total effective resistivity plotted as a function of frequency B) Imaginary part of effective resistivity. The peak IP response occurs when the ratio of the imaginary part of effective resistivity to the real part is largest. As modeled, the peak IP response of the Bingham ore occurs at 500 Hz while the peak IP response of the pyrite containing Silver Bell or occurs at 50 Hz. The difference in in peak IP response frequency could be used for mineral discrimination.

Table 2: GEMTIP parameters for modeling of Bingham and Silver Bell ore.

variable	Bingham	Silver Bell
ρ_{QMP} (Ohm-m)	200	200
$f_{chalcopyrite}$ (%)	5	7.5
f_{pyrite} (%)	-	7.5
ω (Hz)	10^{-2} to 10^{6}	10^{-2} to 10^{6}
$C_{chalcopyrite}$	0.5	0.5
C_{pyrite}	-	0.5
$\rho_{chalcopyrite}$ (Ohm-m)	0.004^{a}	0.004
ρ_{pyrite} (Ohm-m)	-	0.3^{a}
$a_{chalcopyrite} (\mathrm{mm})$	0.5	0.5
$a_{pyrite}(mm)$	-	0.5
$\alpha_0 \left(\frac{\text{Ohm} \cdot \text{m}^2}{\text{sec}^{c_l}} \right)$	0.85	0.68
^a Nabighian, 1988	·	

⁴Center for Electromagnetic Modeling and Inversion, http://www.mines.utah.edu/~wmcemi/

Deposit-scale model



Figure 11: The framework for porphyry forward modeling using the CEMI developed code IBCEM3DIP for MATLAB. The diagram shows the anomalous domain, the location of the survey line, the layered earth background, and the inhomogeneous background (IBC) body for the data presented in figures 12 and 13. For the data presented the enriched zone is 80 meters thick and 150 meters deep. Additionally the geoelectric parameters used for the forward modeling are indicated in the legend. The values used for resistivity and phase are based on the values of the Southwest US copper porphyry geological/geophysical model (Figure 5).



Figure 10: Fit of GEMTIP predicated data with empirical data of Ostrander and Zonge's 1978 rock-scale Induced Polarization study. The good fit of the GEMTIP modeled data with the empirical data indicates GEMTIP can accurately model peak IP response of the rocks measured by Ostrander and Zonge. Ostrander and Zonge studied chalcopyrite and pyrite bearing synthetic rocks with known matrix resistivities. Synthetic rocks bearing either pyrite or chalcopyrite at specific grain sizes were constructed using a cement (matrix) of known resistivity. After the construction of each rock, the frequency of the peak IP response was measured. Results from this study are plotted as the solid squares and solid triangles. The gray shading indicates the range of grain sizes for each measurement of maximum IP response, for example the pyrite synthetic rock plotted at 2.5 mm contains pyrite grains from 2 mm to 3 mm.

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rock-scale in maturing.

measurements will be conducted in the summer of 2006.

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Table 3: GEMTIP parameters for fit with Ostrander and Zonge's 1978 data.

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variable	CEMI	Ostrander
ρ_{ef} (Ohm-m)	-	300 -
ρ_{matrix} (Ohm-m)	300 Ohm-m	-
$f_{chal copyrite}$	5	-
f_{pyrite}	7.5	-
$C_{chalcopyrite}$	0.5	-
C_{pyrite}	0.75	-
$\rho_{chalcopyrite}$ (Ohm-m)	0.004	-
ρ_{pyrite} (Ohm-m)	0.3	-
$a_{chalcopyrite} (\mathrm{mm})$	0.2, 0.5, 0.7, 1, 1.2, 1.5, 2, 3	0.2-0.5, 0.5
$a_{pyrite} \pmod{mm}$	0.2, 0.5, 0.7, 1, 1.2, 1.5, 2, 3	0.2-0.5, 0.5
$\alpha_{chalcopyrite} \left(\frac{Ohm \cdot m^2}{\sec^c l} \right)$	0.85	-
α_{pyrite}	$0.5 \left(\frac{\text{Ohm} \cdot \text{m}^2}{\text{sec}^{c_l}}\right)$	

